# Studies of young stars with accretion – and outflow-tracing spectral lines

L.V. Tambovtseva and V.P. Grinin

Main (Pulkovo) Astronomical observatory, St. Petersburg, Russia

www.gao.spb.ru

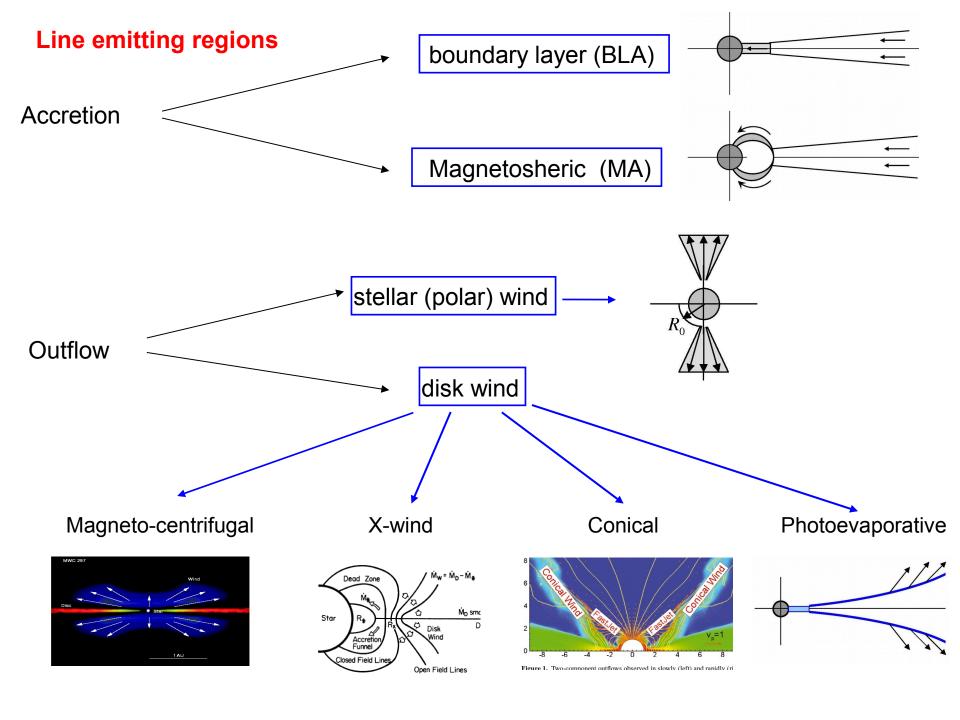
- Environment of young stars (TTSs and HAEBEs). Emitting regions
- How to choose geometric and physical model parameters of the emitting region
- Non-LTE modeling hydrogen emission lines
- Interferometry as a tool to constrain model parameters
- S Coronae Australis a T Tauri Twin

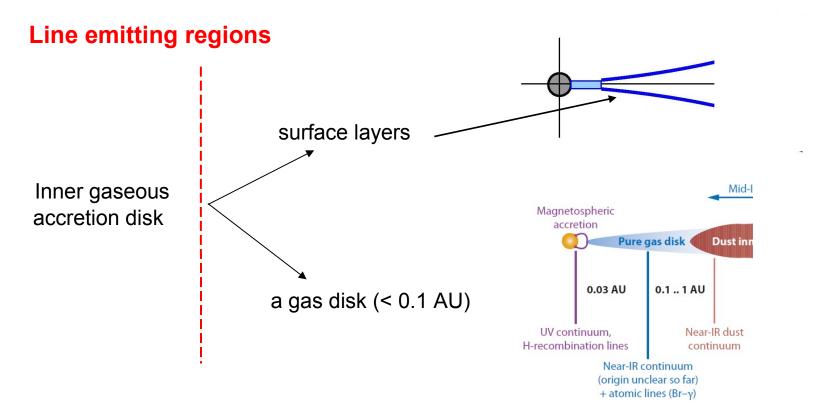
In colloboration with:

G. Weigelt, K.-H. Hofmann, D. Schertl (MPIfR, Bonn, Germany)

S. Kraus, A. Kreplin (Exeter University, Exeter, UK)

A. Caratti o Garatti and R. Garcia-Lopez (DIAS, Dublin, Ireland)





In order to distinguish between the contribution to the line profiles from different kinematic flows and derive quantitative measures it is required modeling the emission lines.

#### **Inverse problem:**

We know traces - some emission lines;

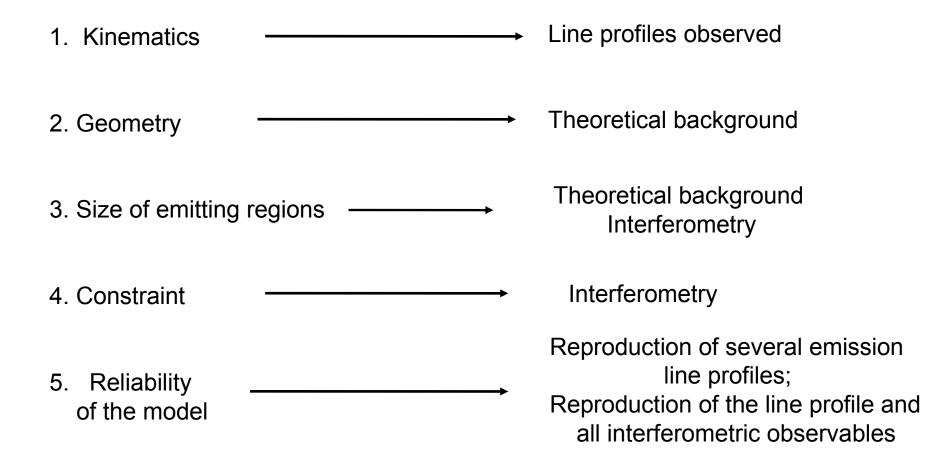
- inclination (sometimes);
- interferometric observables (not always)
- an additional information:
   (photometric or line variability, magnetic field, dust, etc.)



#### We have to determine:

- a geometrical structure of the region considered;
- physical mechanisms of inflow / outflow;
- an inclination angle

# A choice of model parameters for the line emitting region



Spectroscopic observations and analysis **have been and will be** an essential tool in discovering the intricate details in the formation of a classical T Tauri star and Herbig AeBe stars, as the spectral lines carry information on the kinematics and physical conditions of the gas close to the star *(Kwan & Fisher, 2011)* 

# Step 1

We divide it by several streamlines (SL) and solve mass continuity equations for each of them. As a result, we obtain a density and velocity distribution along of each SL.

Tangential and poloidal velocity components are

In the corotation zone:  $u(\omega)/u_K(\omega_i) \le f_c$ 

$$u(\omega) = u_K(\omega_i)(\omega/\omega_i)$$

In the zone of conservation of the angular momentum:

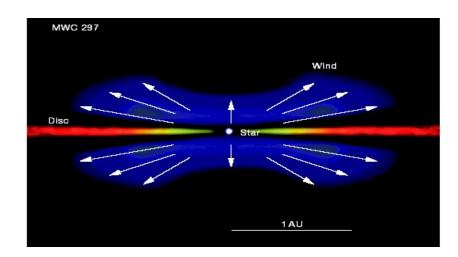
$$u(\omega) = u_K(\omega_i) f_c / (\omega/\omega_i)$$

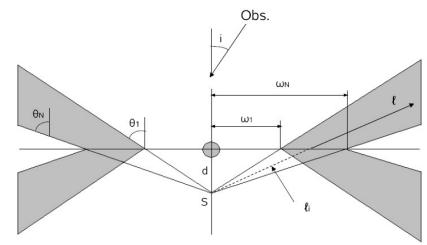
 $u_{\it K}(\omega_i)$  is the Keplerian velocity at a footpoint  $\omega_i$  ,  $f_{\it c}$  is a parameter

$$v(l) = v_0 + (v_\infty - v_0) (1 - l_i/l)^{\beta}$$

 $V_0,V_\infty$  are initial and terminal velocities for the i-th SL

$$\dot{m}(\omega) \propto \omega^{-\gamma}$$
 a local MLR  $\dot{M}_{wind} = 2 \int_{\omega_1}^{\omega_N} \dot{m}(\omega) 2 \pi \omega d\omega$  a total MLR





Shlosman & Vitello (1993) Kurosawa et al. (2006) Murray & Chiang (1997) Grinin & Tambovtseva (2011) (cataclysmic variables) (TTSs) (galactic nuclei) (HAEBEs)

# **Step 2:** We solve a system of the stationary equations

$$\frac{dn_i}{dt} = R_i + Q_i = 0$$

 $n_i$  is the population of the *i*-th level,  $R_i$  and  $Q_i$  are terms describing excitation and deactivation of an *i*-th level by radiation and collision.

$$R_{i} = -n_{i} \left( \sum_{j=i}^{i-1} (A_{ij} + B_{ij} J_{ij}) + \sum_{k=i+1}^{\infty} B_{ik} J_{ik} + B_{ic} W J_{ic} \right) + \sum_{k=i+1}^{\infty} n_{k} (A_{ki} + B_{ki} J_{ik}) + \sum_{j=1}^{i-1} n_{j} B_{ji} J_{ij}$$

$$Q_{i} = -n_{i} \left( n_{e} (q_{ic} + \sum_{i \neq j} q_{ij}) + B_{ci} W J_{ic} \right) +$$

$$+ n_{e} \sum_{j \neq i}^{\infty} n_{j} q_{ji} + n_{e} n^{+} C_{i} + n_{e}^{2} n^{+} Q_{ci}$$

 $i=1,2,3...N_{atom}$  (15 + continuum)

#### Radiative transfer codes:

Grinin & Katysheva 1980 Grinin & Mitskevich 1990 Tambovtseva et al. 2001

Radiative transition probabilities (Gershberg & Shnol 1974), Collision transition probabilities (Johnson 1972, Scholz et al. 1990) Intensity of the radiation:

$$J_{ik} = (1 - \langle \beta_{ik} \rangle) S_{ik} + J_{ik}^{\star} W \beta_{ik}^{\star}$$

Source function:

$$S(r) = \frac{2hv^{3}}{c^{2}} \left( \frac{n_{k}(r)}{n_{i}(r)} \frac{g_{i}}{g_{k}} - 1 \right)^{-1}$$

Mean escape probability of the quantum in the line *ik* from the given point of the medium:

$$<\beta_{ik}(l,\theta)> = \int \beta_{ik}(r,l,\mathbf{s}) \frac{d\Omega}{4\pi},$$
  
$$\beta_{ik}(l,\theta,\mathbf{s}) = \frac{1 - e^{-\tau_{ik}}}{\tau_{ik}}$$

The integral is taken over all solid angles  $\Omega$  ( $\ell$ , $\theta$ )

The effective optical depth of the emitting region at the point with co-ordinates  $(\ell, \theta)$ :

$$\tau_{ik}(l,\theta,\mathbf{s}) = \kappa_{ik}(l,\theta) \, v_{\mathbf{s}} \, |dv_{\mathbf{s}}/ds|^{-1}$$

# SEI = Sobolev + Exact Integration

$$I_w(\nu) = \int_A I_w(\nu, x, y) dx dy$$

$$I_w(\nu, x, y) = \int_{z_{min}}^{z_{max}} S(\mathbf{r}) \phi(\nu - \nu_0 \frac{\mathbf{v}_z(\mathbf{r})}{c}) e^{-\tau(\nu, \mathbf{r})} \kappa(\mathbf{r}) dz$$

#### 1. A temperature law

#### T (K) ₹ Mass loss 10000 rates **→** 10^(-8) **→** 10^(-7) 1000 **→** 10^(-6) $\omega = 0.1AU$ 100 $log f_p$ 8 $\log (n_e/cm^{-3})$ -5

-10

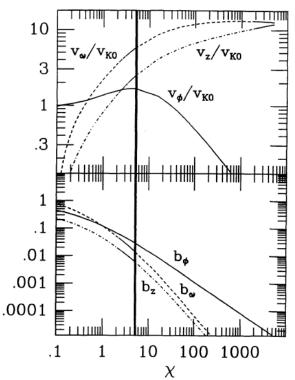
-15

A gas temperature along a flow line

100 1000

10

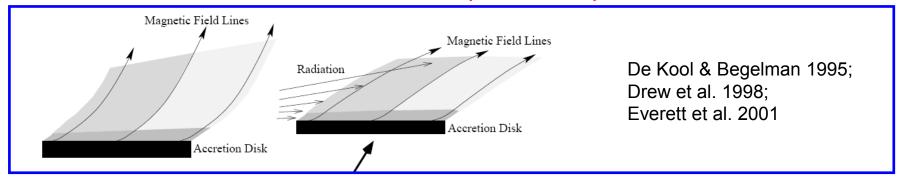
#### 2. A corotation zone



Safier 1993 Garcia et al. 2001

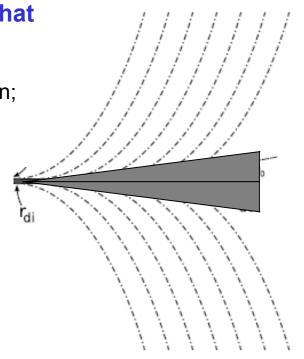
A velocity along a flow line in units of the Keplerian velocity at the footpoint

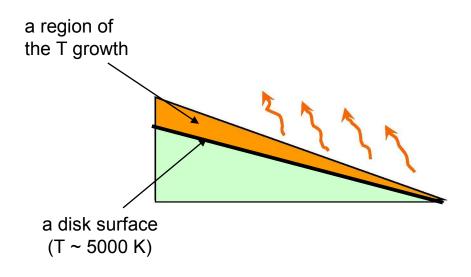
#### 3. An influence of the radiation (for HAEBEs)

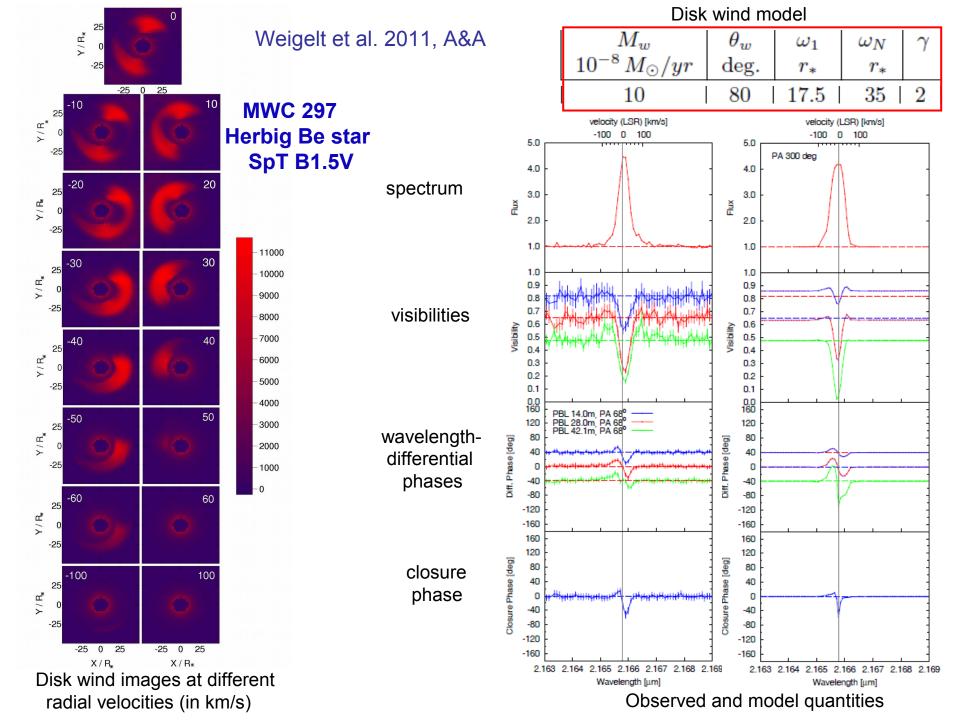


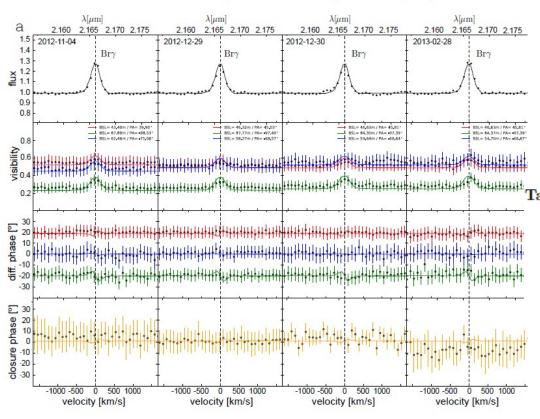
# When modeling we have to take into account that

- a part of the star radiation is absorbed by the MA-region;
- a part of the MA radiation is absorbed by the disk wind;
- a disk continuum can be partially absorbed by the disk wind
- a base of the disk wind has to be excluded from the consideration because of the low gas temperature





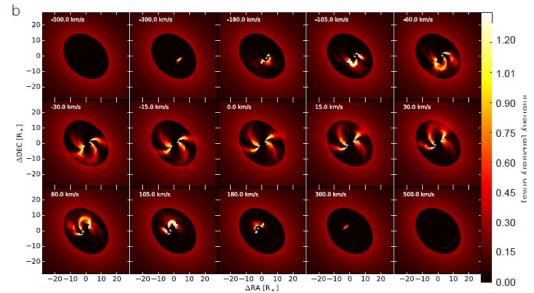




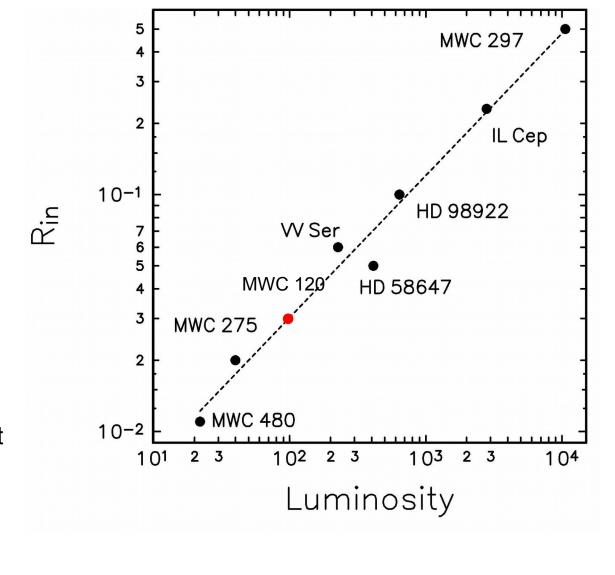
#### MWC 120 (HD 37806)

Table 4. Best model parameters of the disc wind

		$\omega_1$ $[R_{\star}]$		γ	β	$\dot{M}$ $[M_{\odot} \text{ yr}^{-1}]$		
45	79	2	10	3	5	10 <sup>-7</sup>	40	135



Rin — the inner boundary of the disk wind launching region



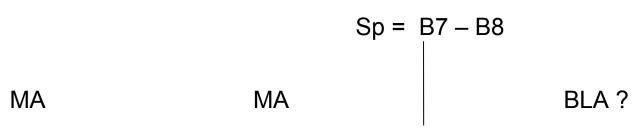
Probably increasing effect of the radiation pressure onto the disk wind

Vink et al. 2002, Ababakr, Oudmaijer & Vink 2017:

(a change in a linear polarization In the  $H\alpha$  lines in HAEBEs)

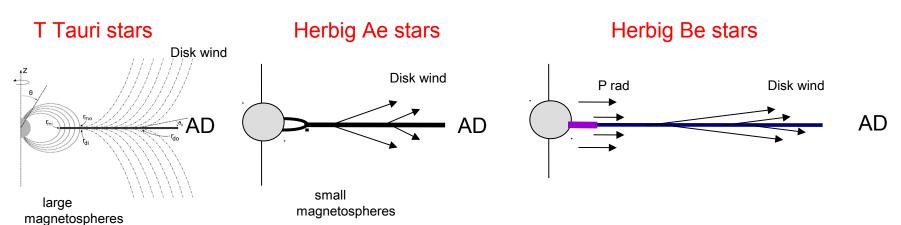
MA – magnetospheric accretion

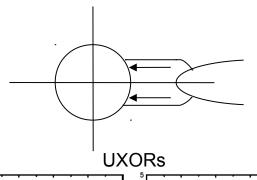
BLA – Boundary layer accretion



Low-mass stars, slow rotators

Luminous intermediate-mass stars, rapid rotators

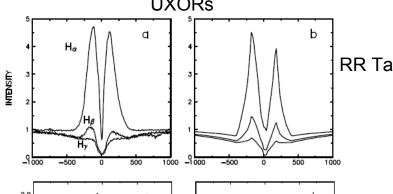




# B. Flat-like magnetosphere (boundary layer accretion) rotating gas, free-fall motion (HAEBEs)

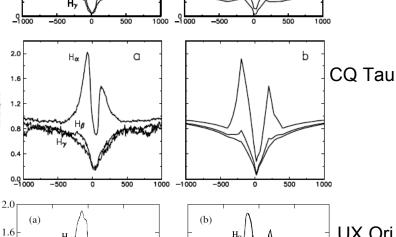
$$v(r)\frac{dv}{dr} = -\frac{GM}{r^2} + \frac{u^2(r)}{r} \qquad \dot{M} = 2\pi r h v \rho(r) v(r)$$

$$\dot{M} = 2\pi r h v \rho(\mathbf{r}) \mathbf{v}(\mathbf{r})$$

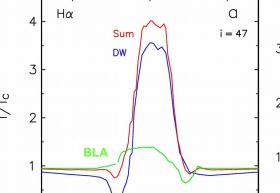




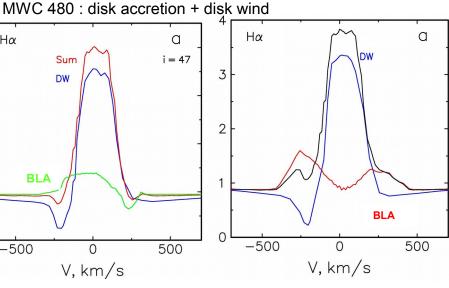
$$\frac{\dot{M}_w}{\dot{M}_{acc}} = 0.1$$



1000-1000 -500



-500



**UX** Ori

1000

Model description and results: Tambovtseva + 2014, 2016 (A&A),

500

UXORs and MWC 480:

0

V, km/s

1999, 2001, 2016 (Astron. Let.)

Disk accretion + gaseous disk

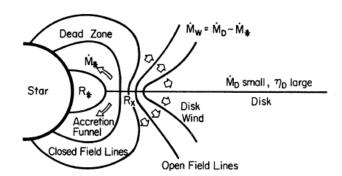
500

INTENSITY

1.2

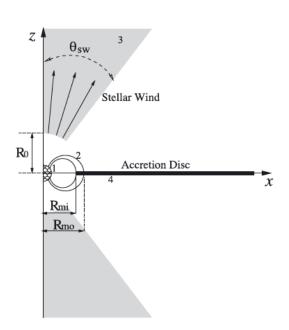
-500

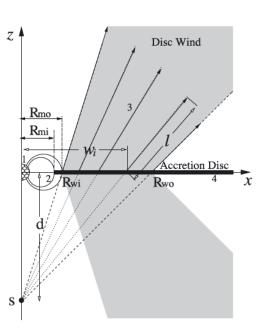
#### A. magnetospheric accretion



Shu et al. 1994

$$\frac{\dot{M}_{w}}{\dot{M}_{acc}} = 0.1$$





e.g., Calvet et al. 1992, Hartmann et al. 1994, Muzerolle et al. 1998, 2001, 2004, Kurosawa et al. 2006, 2011, 2016, Mendigutia et al. 2011, Lima et al. 2010, Gahm et al. 2018

# S Coronae Australis - a T Tauri Twin \*

G. F. Gahm<sup>1</sup>, P. P. Petrov<sup>2</sup>, L. V. Tambovtseva<sup>3</sup>, V. P. Grinin<sup>4</sup>, H. C. Stempels<sup>5</sup>, and F. M. Walter<sup>6</sup>

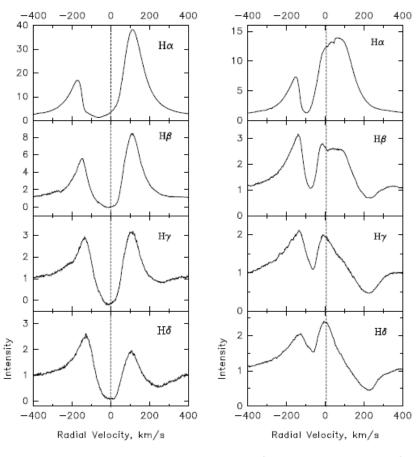
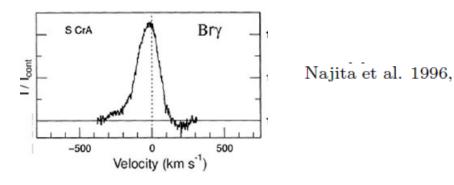
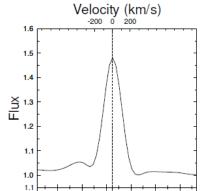


Fig. 4. Balmer line profiles. Left: S CrA NW, right: S CrA SE. All line intensities are normalized to the continuum level.

Table 1. Stellar parameters					
	SE component	NW component			
$v_{rad} (\text{km s}^{-1})$	$-0.5 \pm 3.9$	$+0.9 \pm 2.5$			
$v \sin i \text{ (km s}^{-1}\text{)}$	12	12			
$T_{eff}$ (K)	4250	4250			
$\log g$	4.0	4.0			
mean veiling factor	3.3	8.3			

 $S Cra N Br \gamma$  profile as observed in 1994 at IRTF

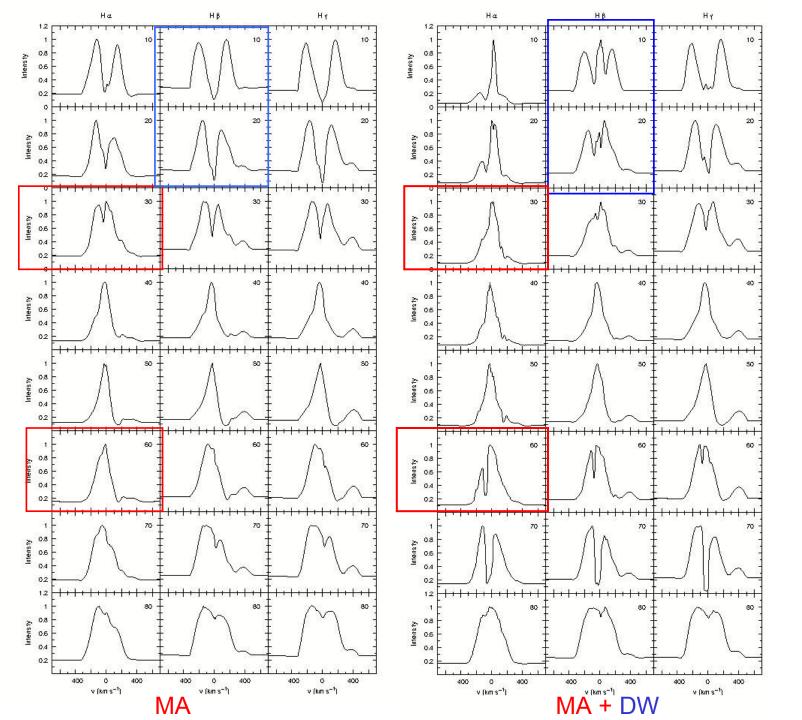




Garcia Lopez +, 2017

VLTI - GRAVITY

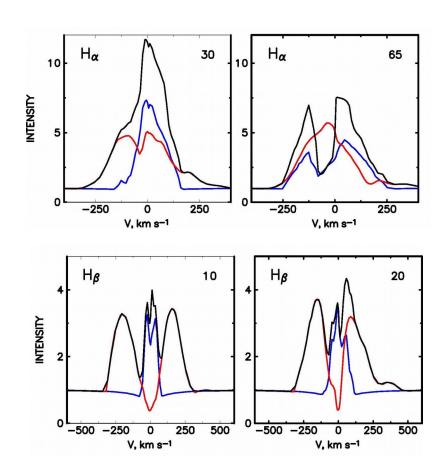
 $(i = 28 \pm 3^{\circ} \text{ and } i = 22 \pm 6^{\circ})$ 



Line profiles are normalized to the peak intensities

# Components of the line profile:





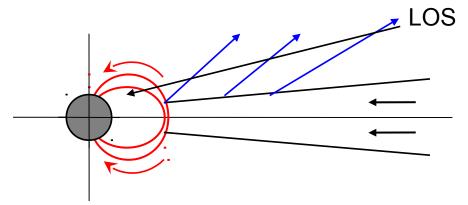
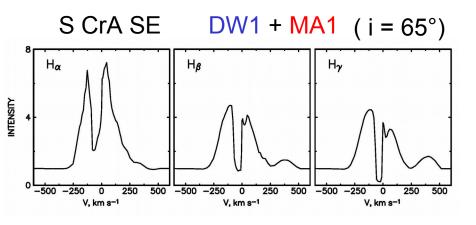


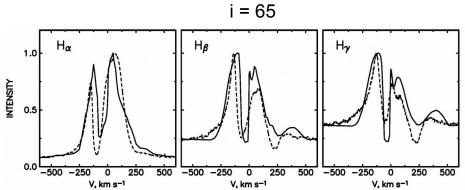
Table 4. Parameters of the magnetospheric accretion model Table 3. Parameters of the disk wind model

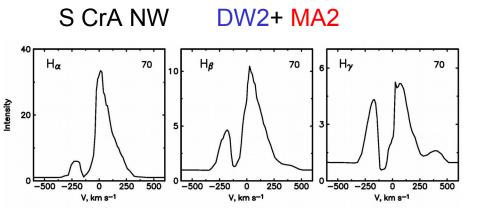
Model	$R_{out}$ $\theta_{in} - \theta_{out}$		$T_{R_*}$ $\alpha$		$\dot{M}_{acc}$	
	$R_*$	degrees	K		$M_{\odot}~{ m yr}^{-1}$	
MA1	5	40 - 60	10000	3	$5 \times 10^{-7}$	
MA2	5	20 - 45	8000	3	$5 \times 10^{-7}$	

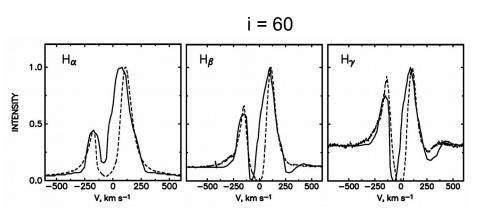
name	$w_1 - w_N$	$ heta_1$	f	$\gamma$	$\dot{M_w}$	β	T
	$R_*$	$_{ m degree}$			$M_{\odot}~{ m yr}^{-1}$		K
DW1	5 - 20	45	5	2	$5 \times 10^{-9}$	5	8000
DW2	5 - 20	45	5	2	$5 \times 10^{-8}$	5	8000

Line profiles are normalised to the continuum









# Conclusion

- 1. Unlike the TTS stars, in the Herbig AeBe stars a contribution of the radiation from a magnetospheric accretion or a polar wind into the hydrogen line emission is small; the disk wind is a dominant contributor.
- 1. Combination of the accretion/wind model parameters and inclinations permits us to obtain a large variety of profile shapes. Calculation of the interferometric functions together with the emission lines modeling gives constraints to the model parameters and provides us an additional information about a star+disk system (size, inclination, etc.).
- 1. A type of accretion onto the Herbig Be stars can differ from that onto the TTSs or Herbig Ae stars. An accretion is able to change significantly the shape of Balmer lines in HAEBEs leaving it, however, with "an outflow" features (i.e., one will not see traces of the accretion).
- 1. Inclination angles obtained with the data on different wavelengths can be different. It may be caused by a presence of the dust lifting with the disk wind.
- 1. The IR Brγ lines are formed in the regions close to the star and to the disk wind base. In the very base of the disk wind the gas T is not so large to lead to this transition. Excluding this narrow layer from consideration, we reduce a rotation velocity component, a poloidal velocity is still small. In most cases this leads to a single line profile. (Double-peaked Brγ line profiles may be formed at the rapid increase in the gas temperature).

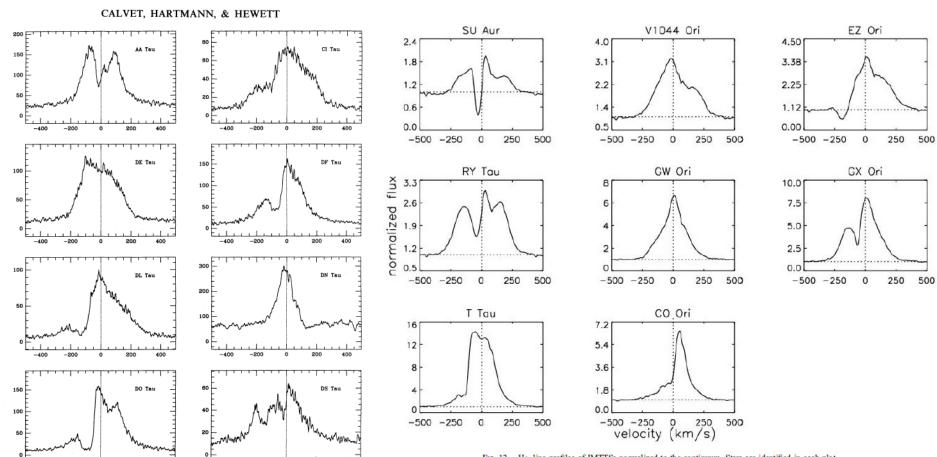


Fig. 12.—H $\alpha$  line profiles of IMTTSs normalized to the continuum. Stars are identified in each plot.

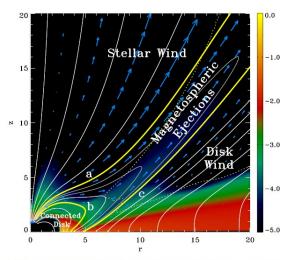
es of T Tauri stars, obtained with the FLWO 1.5 m echelle spectrograph and intensified Reticon detector on JD 24 over the resolution of approximately 12 km s<sup>-1</sup>. Further details of the instrumentation are given by Latham (1982)

-200

-400

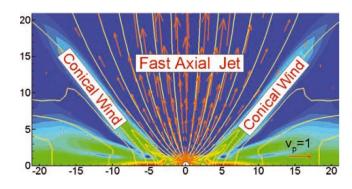
200

#### Stellar wind as a by-product



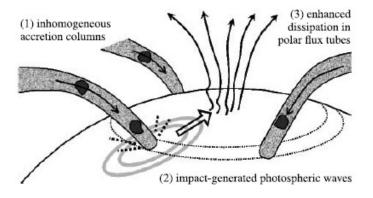
**Fig. 1.** Global view of the star-disk interacting system. A logarithmic density map is shown in the background. Poloidal speed vectors are represented as blue arrows. The dotted line marks the Alfvén surface, where  $u_p = B_p/\sqrt{4\pi\rho}$ . Sample field lines are plotted with white solid

#### Zanni & Ferreira 2013 ~ 5% M\_acc



Romanova et al. 2009

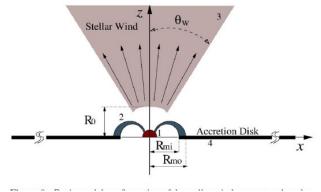
#### Accretion driven stellar wind



Matt & Pudritz 2007, Cranmer 2009 ~ 1% M\_acc

Petrov et al. 2014

#### V 1331 Cyg, $H\alpha,\beta$ line modeling



**Table 3.** Model parameters for line fits.

Model ID 	$\dot{M}_{\rm w}$ $(\dot{\rm M}_{\odot}{\rm yr}^{-1})$	θ <sub>w</sub>
Α	$6.0 \times 10^{-8}$	50°
В	$9.0 \times 10^{-8}$	50°
С	$1.1 \times 10^{-7}$	50°

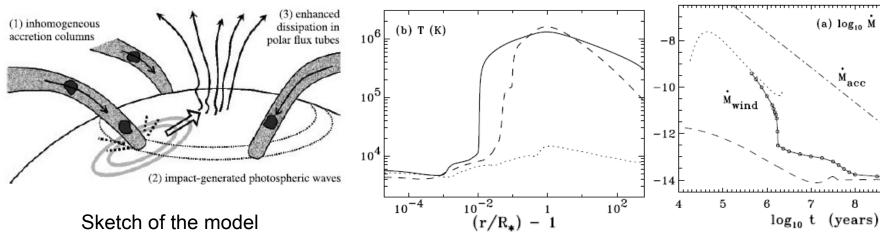
$\dot{M}_{\rm a}$ $(\dot{\rm M}_{\odot}{ m yr}^{-1})$	$T_{\rm w}$ (K)	$\begin{array}{c} v_{\infty} \\ ({\rm kms^{-1}}) \end{array}$	$v_0 \ (\mathrm{kms^{-1}})$	β 	$R_0$ $(R_*)$
$2 \times 10^{-6}$	9000	530	10	1.8	3.8

# Hot polar wind in young stars = accretion driven wind

Matt & Pudritz (2007), Cranmer (2008)

Theoretical prediction

(a) log<sub>10</sub> M (M<sub>☉</sub>/yr)



Sketch of the model

An accretion driven wind from the polar regions of TTSs.

Physical mechanism:

A convection – driven MHD turbulence (a solar coronal heating) + another source of the wave energy that is driven by the impact of plasma in neighboring flux tubes undergoing magnetospheric accretion

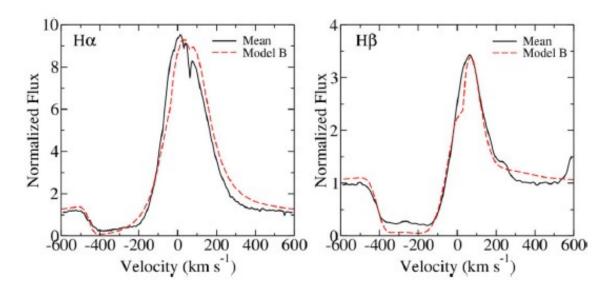
Rapid heating the wind  $(T \sim 10^6 \text{ K})$ Result:

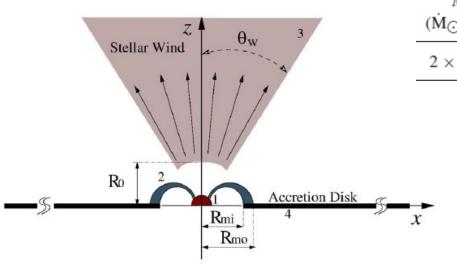
> Models with  $T = (10\ 000 - 15\ 000)$  K and the mass loss rate /yr (~ 0.01 of an accretion rate) are suitable for emission lines formation

#### The pre-FUor V1331

# As TW Hya, V1331 Cyg is observed pole-on

Petrov et al. 2014

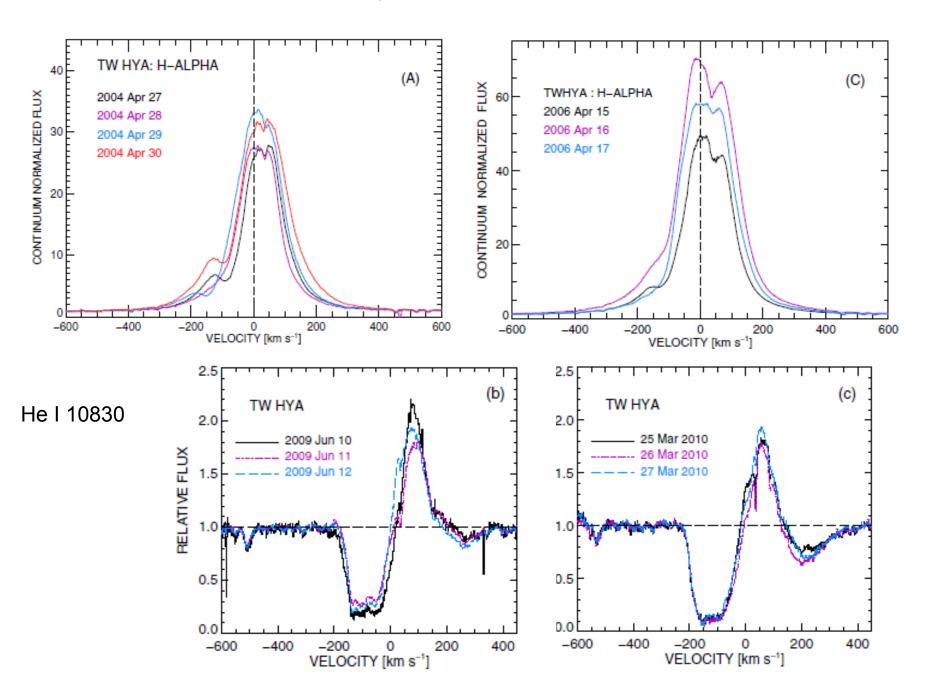


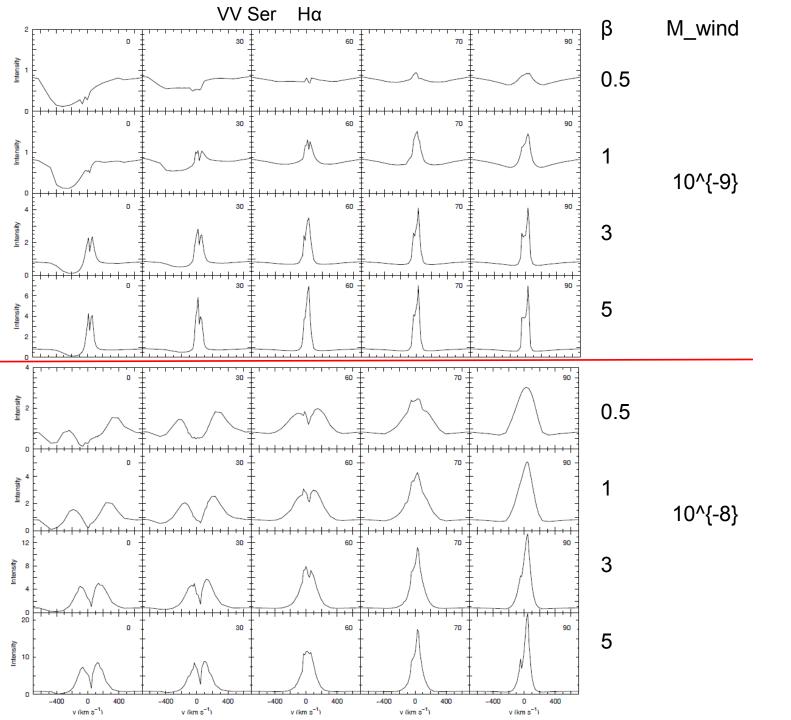


$\dot{M}_{\rm a}$ $(\dot{\rm M}_{\odot}{ m yr}^{-1})$		$\begin{array}{c} v_{\infty} \\ ({\rm kms^{-1}}) \end{array}$		β 	0
$2 \times 10^{-6}$	9000	530	10	1.8	3.8

**Table 3.** Model parameters for line fits.

N	Model ID	$\dot{M}_{\rm w}$ $(\dot{\rm M}_{\odot}{\rm yr}^{-1})$	θ <sub>w</sub>	
	A	$6.0 \times 10^{-8}$	50°	
	В	$9.0 \times 10^{-8}$	50°	
	С	$1.1 \times 10^{-7}$	50°	





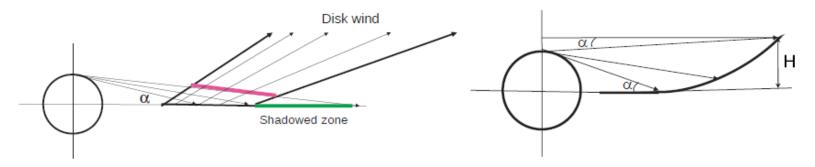
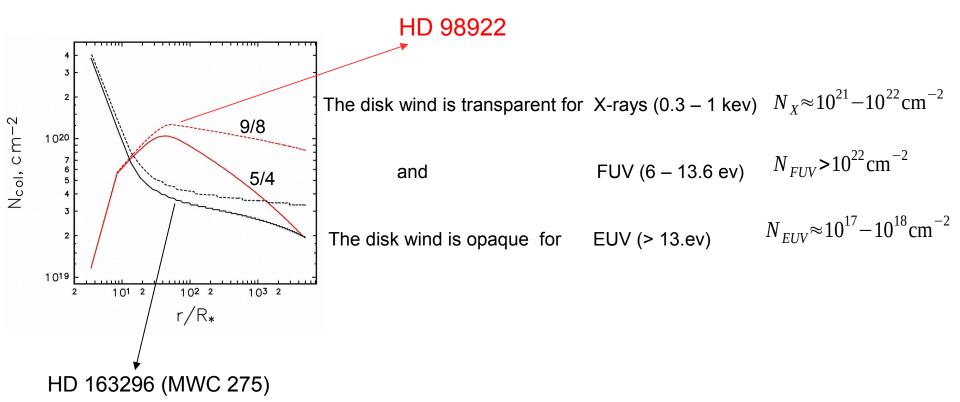


Fig. 4. Left: Sketch of the absorption of the hard stellar radiation (red line) by the disk wind.
The green line is a shadow zone. Right: Points on the disk surface. Not to scale. See details in the text.



# MWC 480 (Sp = A5e IV) and IL Cep (Sp = B2e IV-V) -- photometrically low active Herbig AeBe stars.

```
van den Ancker +, 1998; Vink +, 2002; Kozlova +, 2003;
Grady +, 2010; Alecian +, 2013; Mendigutia +, 2013;
Izmailov +. 2013;
```

```
MWC 480 T_ef = 8200 \text{ K}; \quad M = 1.9 \text{ M_sun}; \\ V \sin i = 100 \text{ km/s}; \\ i = 30-50 \text{ deg } - \text{from } \textit{Grady} + 2010 -from Alecian + 2013
```

IL Cep – binary star (sep. 6")

The spectroscopic observations of the Herbig Ae star MWC 480 were performed by D. E. Mkrtichian on December 2014 with the 2.4-m telescope of the Thai National Observatory (TNO) equipped with the MRES echelle spectrograph. IL Cep — on December 2015.

# MWC 275 (HD 163296)

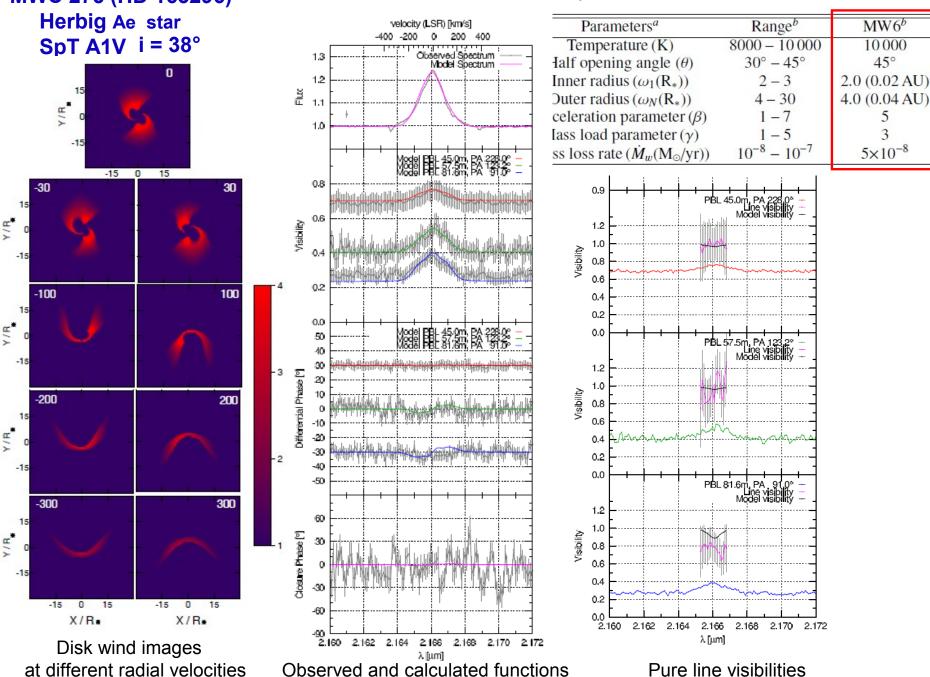
#### Garcia Lopez et al. 2016, A&A

 $MW6^b$ 

10000

45°

 $5 \times 10^{-8}$ 



#### Ferreira et al. 2006

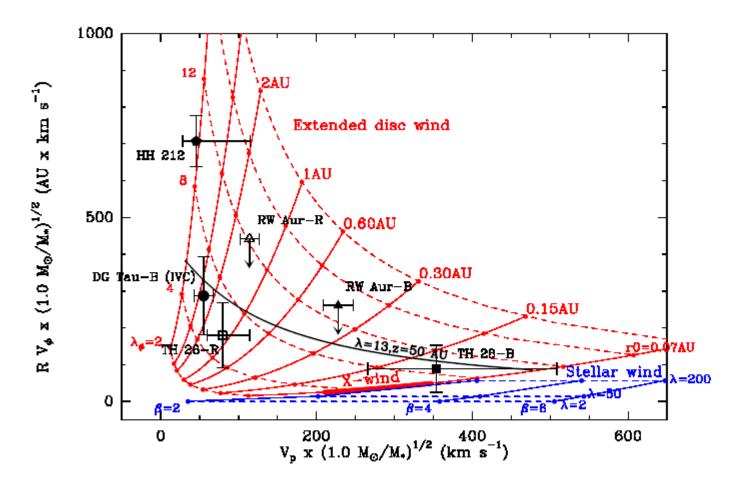
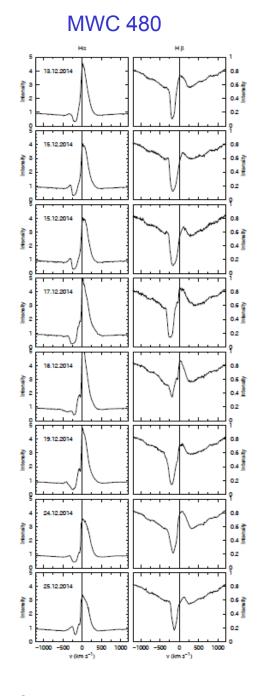
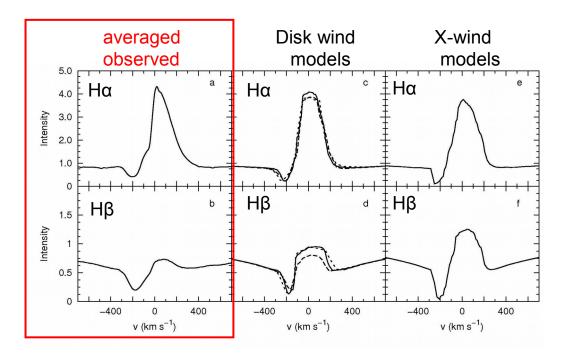


Fig. 3. Comparison of predicted specific angular momentum vs. poloidal velocities with observations of T Tauri microjets. Full and dashed curves show expected theoretical relations for MHD disc and stellar winds (same as Fig. 2, on a linear scale). Plotted in symbols are jet kinematics measured at distance  $z \approx 50$  AU in the DG Tau, RW Aur, and Th 28 jets. The infrared HH 212 jet is also shown for comparison. See text for more details on how the data points and their associated error bars are computed.





Calculated H $\alpha$  (c) and H $\beta$  (d) line profiles with the disk wind models (i = 47 - 55°)

Calculated H $\alpha$  (e) and H $\beta$  (f) line profiles with the X-wind model (i = 52°)

CO, CN emission: i  $\sim 30^{\circ} - 38^{\circ}$ , but H $\alpha$  radial vel.: 45±6 $^{\circ}$  (Grady et al. 2010)

our work:

$$\dot{M}_{DW}/\dot{M}_{acc} \approx 0.1$$
 $\dot{M}_{accr} = (0.8 - 1.9) \cdot 10^{-7} M_{\odot}/yr$ 
 $\dot{M}_{DW} = 2.5 \cdot 10^{-8} M_{\odot} yr^{-1}$ 

Grinin et al. 2017, Tambovtseva et al. 2016

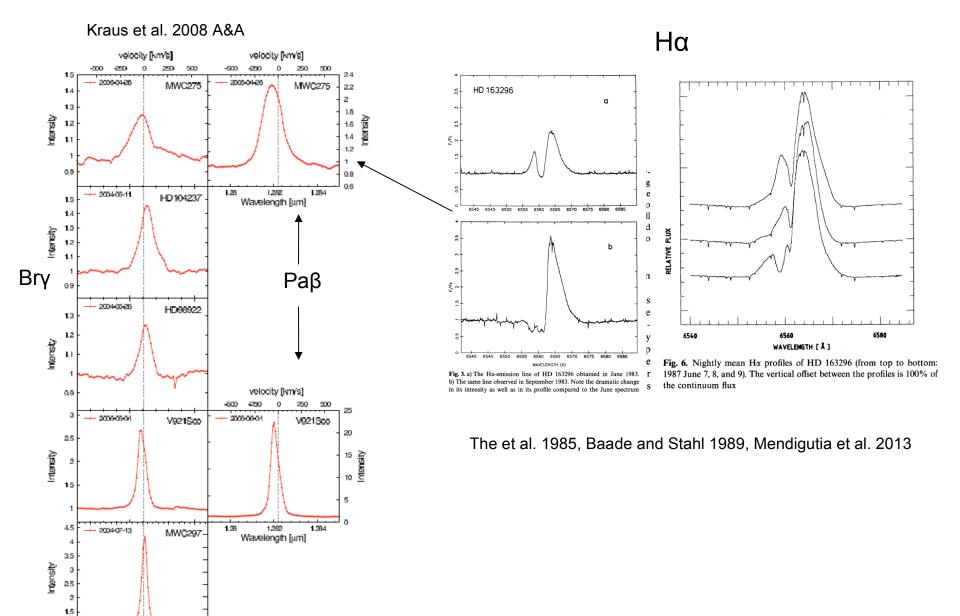
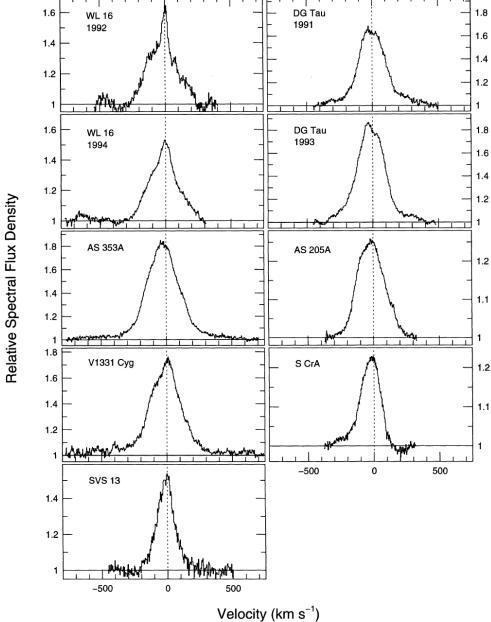


Fig. 2. Left: VLT/ISAAC spectra showing the Br $\gamma$  line with a spectral resolution of  $R \sim 9000$  for the stars in our sample. Right: VLT/ISAAC spectra of the Pa $\beta$  line were obtained for HD 163296 and V921 Sco.

2164 2166 2168 Wavelength [μm]





Najita + 1996

The Bry spectra presented in this paper were obtained during various observing runs from 1991 to 1994 at the NASA Infrared Telescope Facility using CSHELL, the facility nearinfrared echelle spectrograph (Tokunaga et al. 1990; Greene et al. 1993).